

A robust measure of complexity

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Roadmap

- 1 Research Question
- 2 Contribution
- 3 Theory
- 4 Proof of concept
- 5 Conclusion

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Background

- Most Economists agree that (task) complexity is a key determinant of human behavior.
- It has the potential to explain mistakes that people systematically make
- At the same time, there is no consensus on what complexity is.
- Often, it is defined in a casual way

How is complexity formalized?

① **Direct approach:** start with a definition, e.g.,

- Characteristics of lotteries ([Huck & Weizsäcker, 1999](#); [Fudenberg & Puri, 2023](#); [Enke & Shubatt, 2023](#); [Hu, 2023](#); [de Clippel et al., 2025](#))
- Degree of contingent reasoning in mechanisms ([Nagel & Saitto, 2025](#))
- How pronounced tradeoffs are ([Shubatt & Yang, 2025](#))
- Through productivity of thinking about a task ([Gabaix & Graeber, 2024](#))
- Signal-to-noise ratio ([Goncalves, 2024](#))

② **Revealed complexity:** start with a measure/proxy, e.g.,

① **Direct metrics:**

- WTP to avoid a task ([Oprea, 2020](#)),
- response times ([Wilcox, 1993](#); [Goncalves, 2024](#)),
- biometrics ([van der Wel & van Steenbergen, 2018](#)).

② **Behavioral metrics:**

- choice inconsistencies ([Woodford, 2020](#)).

③ **Belief-based metrics:**

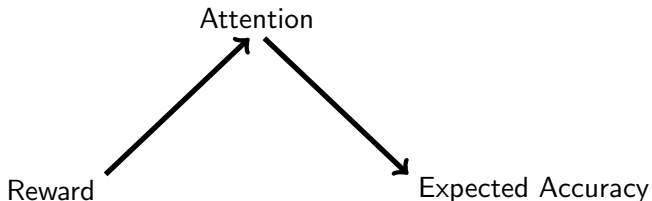
- **expected accuracy** ([Agranov, Schotter & Trevino, 2025](#); [Enke & Graeber, 2023](#); [Enke, Graeber & Oprea, 2025](#); [Hu, 2024](#); ...)

Expected accuracy as a measure of complexity

- **Expected accuracy**: Probability to solve task correctly.
- Basic idea: Higher complexity $:=$ Lower expected accuracy
- Reasons to use it:
 - ① It is simple and intuitive!
 - ② Gaining momentum in the literature!
- On the flip side, there are two important caveats:
 - ① There are no choice theoretic foundations.
 - What are we actually measuring?
 - ② The induced complexity order depends on the size of the reward
 - Chances to solve task A are **larger** than task B, if reward is **high**
 - Chances to solve task A are **smaller** than task B, if reward is **low**
- Thus, the following question arises:

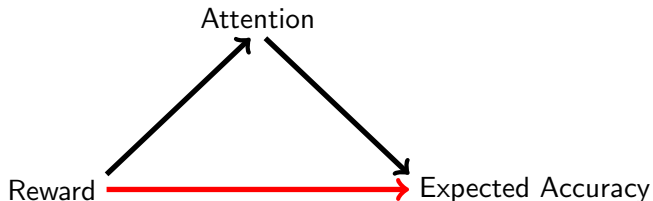
Is it a reasonable measure of complexity?

Expected accuracy depends on reward



- Reward affects attentions
(higher reward, more attention)
- Attentions affects expected accuracy
(more attention, more likely to be correct)
- Hence, reward affects expected accuracy

Expected accuracy depends on reward



- Reward affects attentions
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- Attentions affects expected accuracy
(more attention, more likely to be correct)
- Hence, **reward affects expected accuracy non-linearly**

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Our approach

- We take a robust approach

Higher complexity $:=$ Lower expected accuracy **for every reward**

- Conservative (dominance) criterion: not all tasks will be ranked
- Complexity order:
 - (+) Intuitively appealing
 - (−) Incomplete

Preview of main conclusions

- **Theoretical conclusions:**

- ① Condition for any reasonable definition of complexity
(based on the appeal of our criterion)
- ② Degree of uncertainty is an essential part of complexity
(when is an exam deemed complex?)

- **Practical conclusions:**

- ① Recently popular measure of complexity is validated
(using a lab experiment)
- ② Elicit expected accuracy for more rewards
(using strategy method)

Our relation to the literature

- ① Literature justifies belief-based measures of complexity based on common sense (Agranov, Schotter & Trevino, 2025; Enke & Graeber, 2023; Enke, Graeber & Oprea, 2025; Hu, 2024; ...)
 - We provide theoretical foundations
- ② Literature takes complexity almost as a synonym to difficulty in the corresponding context (Oprea, 2024; Nagel & Saitto, 2025; Shubatt & Yang, 2025; Gabaix & Graeber, 2024; Goncalves, 2024; ...)
 - We identify degree of uncertainty as a novel channel
- ③ Literature de facto postulates that complexity is a complete order (Oprea, 2020, 2024; Nagel & Saitto, 2025; Shubatt & Yang, 2025; Gabaix & Graeber, 2024; Goncalves, 2024; Woodford, 2020; Agranov, Schotter & Trevino, 2025; Enke & Graeber, 2023; Enke, Graeber & Oprea, 2025; Hu, 2024; ...)
 - No need to do so! We take a more conservative approach.

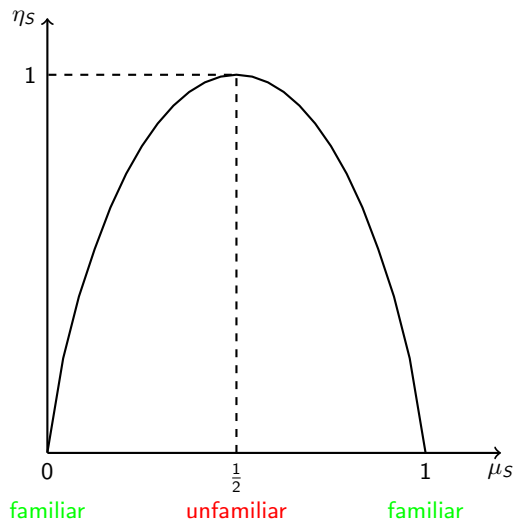
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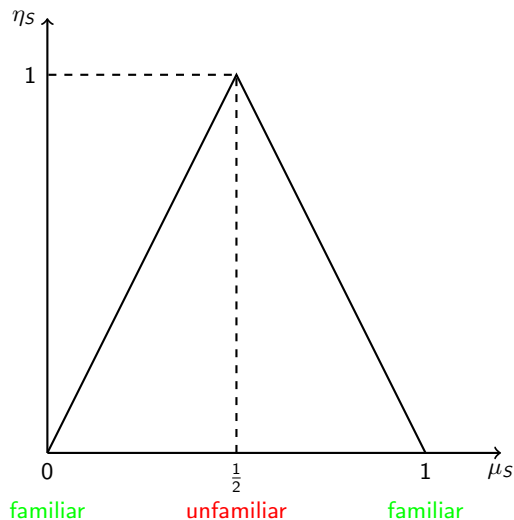
(Standard) theoretical framework

- Binary task $S = \{s_0, s_1\}$
- Set of all tasks $\mathcal{S}_0$
- Scores $Z = \{0, 1\}$
- Rewards $X = [0, \infty)$
- Net utility $v_S(x) := u_S(x, 1) - u_S(0, 0) = \beta_S v(x)$
 - Task-specific subjective parameter (**satisfaction**)
 - Risk preferences are task-independent
 - Only for presentation purposes, fix $\beta_S := 1$ for all $S \in \mathcal{S}_0$
- Prior belief $\mu_S \in [0, 1]$ of s_1
 - Novelty of our paper to let the prior vary across tasks
- Degree of uncertainty $\eta_S = \frac{1}{\log 2} H(\mu_S)$
 - Task-specific subjective parameter (**familiarity**)
 - Consistent with information theory (**Cover & Thomas, 2006**)

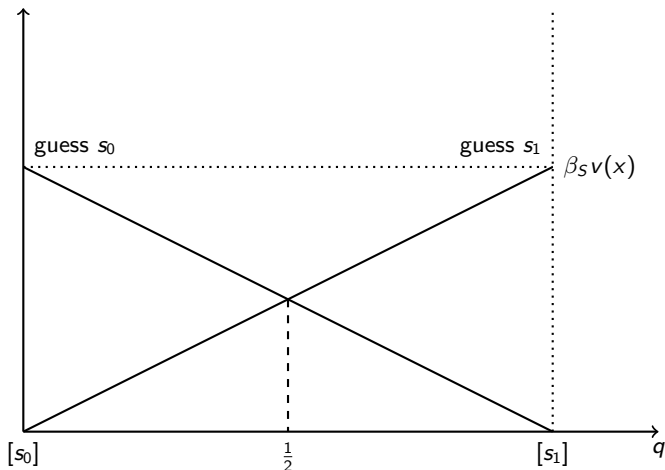
Degree of uncertainty



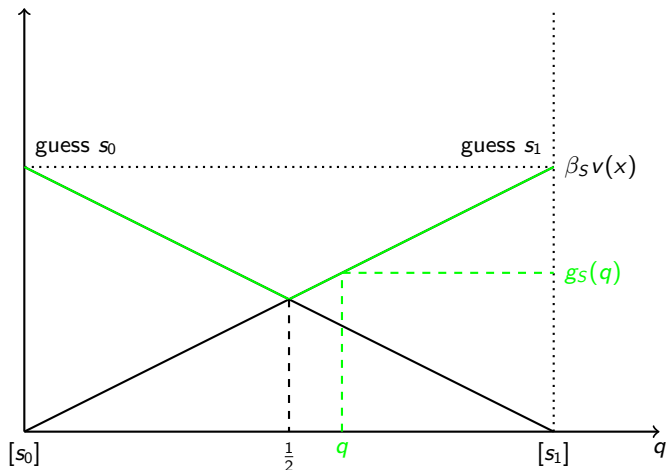
Degree of uncertainty



Utility from answering correctly

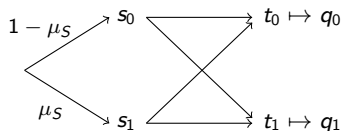


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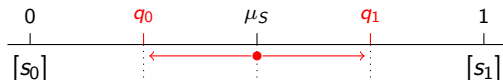


Attention

- Attention strategy: signal producing stochastic evidence

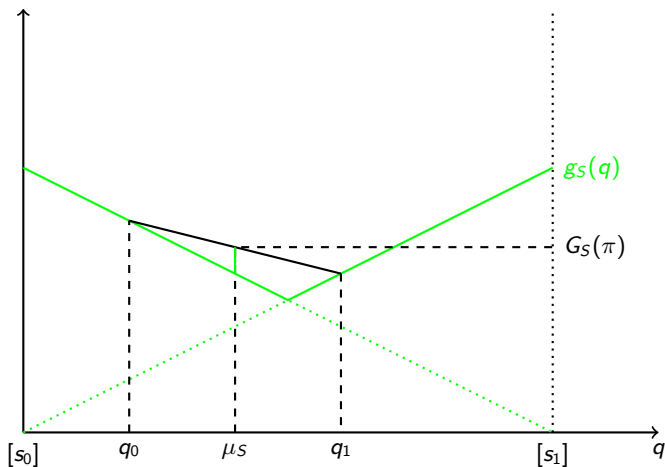


- Each attention strategy is characterized by a (mean-preserving) distribution of posteriors: $\pi \in \Delta([0, 1])$ such that $\mathbb{E}_\pi(q) = \mu_S$.



- Attention has benefits and costs.
- Well-known that it is enough to focus on binary attention strategies (Matějka & McKay, 2015)

Expected benefit of attention graphically



Cost of attention

- Posterior-separable cost of attention

$$C_S(\pi) = \kappa_S(\mathbb{E}_\pi(c(q)) - c(\mu_S))$$

- Task-independent subjective parameter (cost of information processing)
 - Task-specific objective parameter (difficulty)
- Solid theoretical foundations ([Caplin et al., 2017](#); [Tsakas, 2020](#); [Zhong, 2022](#); [Denti, 2022](#)) and support by experimental findings ([Dean & Neligh, 2024](#))
- Symmetry of c has been axiomatized ([Hébert & Woodford, 2021](#)) and particularly natural in binary tasks

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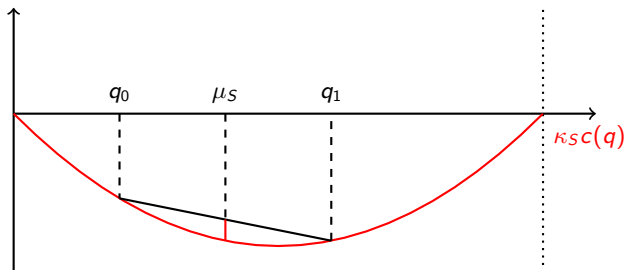
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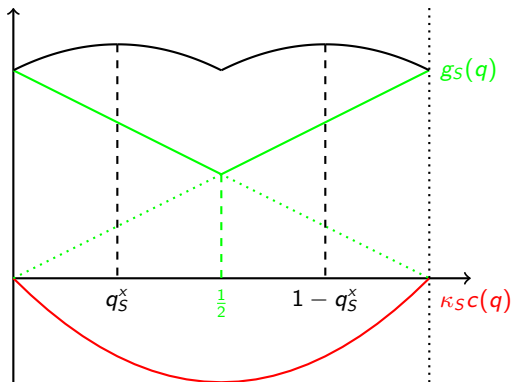
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Cost of information graphically



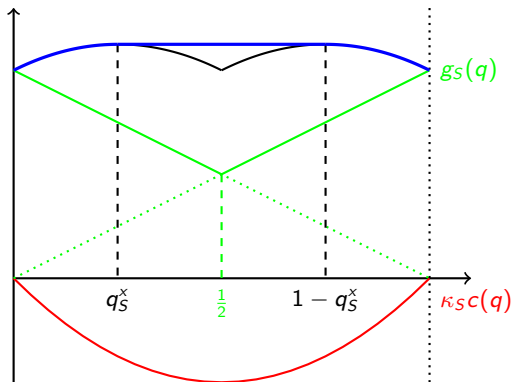
Optimal attention

- Agent's optimization problem $\max_{\pi} (G_S(\pi) - C_S(\pi))$
- Solved with concavification method (Aumann & Maschler, 1995; Kamenica & Gentzkow, 2011)



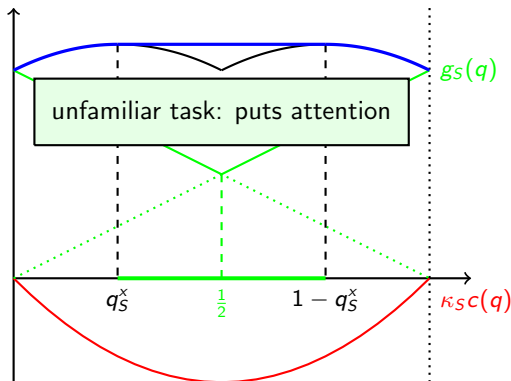
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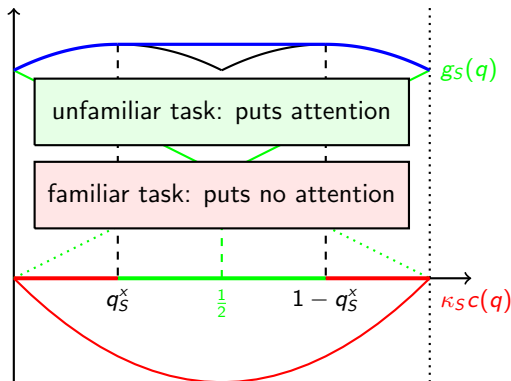
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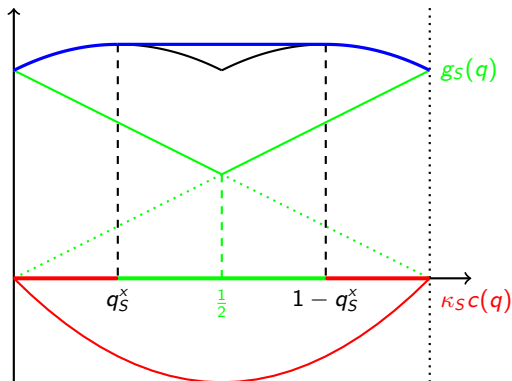


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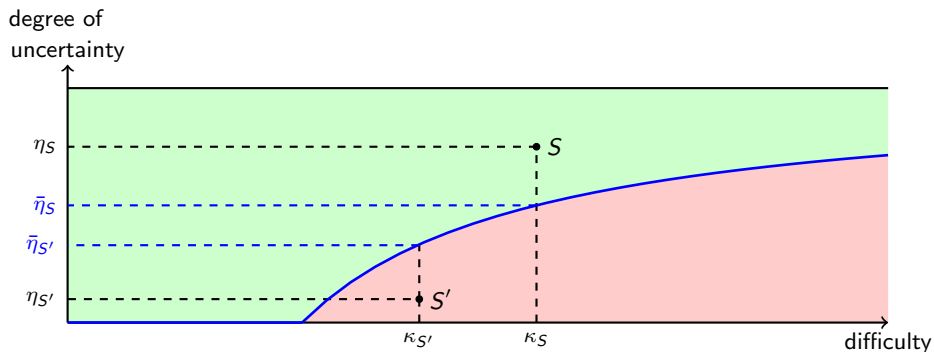


Optimal attention graphically



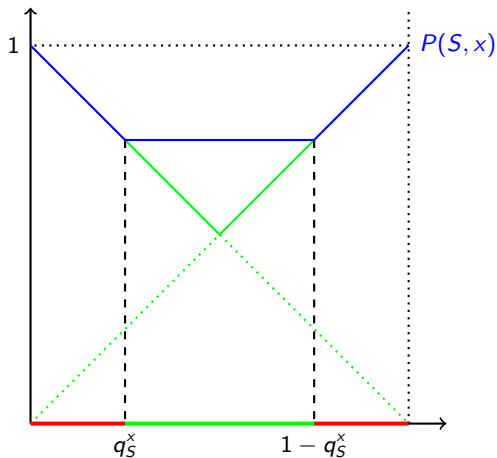
- Attention threshold q_S^x :
 - decreasing in reward (x)
 - increasing in difficulty (κ_S)
- Uncertainty threshold without reward $\bar{\eta}_S = \frac{H(q_S^0)}{\log 2}$

Attention map without reward



- Green area/large uncertainty ($\eta_S > \bar{\eta}_S$): attention without reward
- Red area/small uncertainty ($\eta_{S'} \leq \bar{\eta}_{S'}$): no attention without reward
- Without intrinsic incentives, the entire area is red

Expected accuracy



Robust definition of complexity

Definition

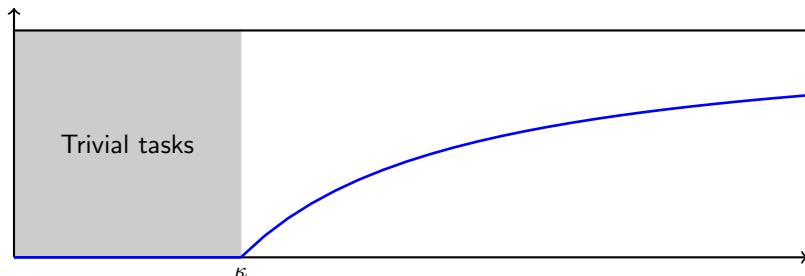
Task $S \in \mathcal{S}_0$ is more complex than $S' \in \mathcal{S}_0$ if

$$P(S, x) \leq P(S', x)$$

for all $x \geq 0$. Then, we write $S \succeq S'$.

Trivial tasks

- Task $S \in \mathcal{S}_0$ is trivial if $S' \succeq S$ for all $S' \in \mathcal{S}_0$.
- The set of non-trivial tasks is denoted by $\mathcal{S} \subseteq \mathcal{S}_0$.



- The following are equivalent:
 - S is trivial
 - $P(S, x) = 1$ for all $x \geq 0$
 - So easy that the state is learned with certainty (even without reward)

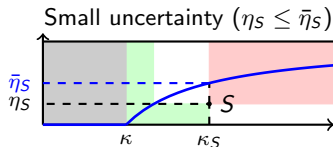
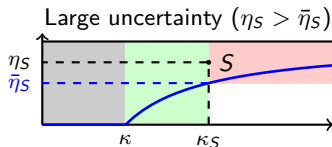
Characterization: Vector-valued representation (Ok, 2002)

Theorem (Identification)

For any pair $S, S' \in \mathcal{S}$:

$$S' \succeq S \Leftrightarrow \phi(S') \geq \phi(S),$$

where $\phi_1(S) = \kappa_S$ and $\phi_2(S) = \min\{\eta_S, \bar{\eta}_S\}$.



- A task is complex when it is both **difficult** and **unfamiliar**.
(exam is complex when it is hard and and not practiced).
- Difficulty remains the primary channel: $\kappa_S > \kappa_{S'} \Rightarrow S' \not\succeq S$
(even though not necessarily $\kappa_S > \kappa_{S'} \Rightarrow S \succeq S'$).
- Without intrinsic incentives, we have $\phi_2(S) = \eta_S$.

Characterization of incompleteness

Proposition (Single crossing)

Suppose that $S, S' \in \mathcal{S}$ are not $\succeq$ -comparable, in that

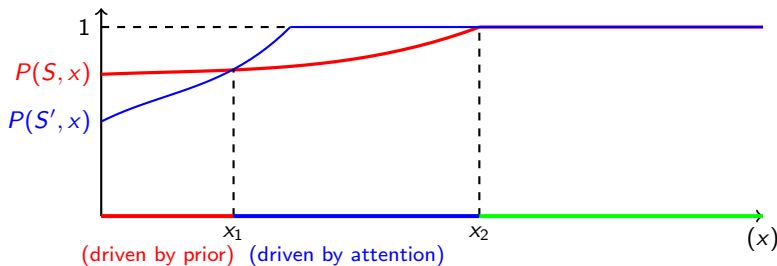
- S *more difficult* than S' : $\phi_1(S) > \phi_1(S')$,
- S *more familiar* than S' : $\phi_2(S) < \phi_2(S')$.

Then, there are two thresholds $0 < x_1 < x_2 \leq \infty$ such that:

- (i) $P(S, x) < P(S', x)$ for all $x < x_1$,
 - *For small rewards, it is more likely to solve the difficult familiar task*
 - *Not worthy paying attention, so the agent relies more on the prior*
- (ii) $P(S, x) > P(S', x)$ for all $x_1 < x < x_2$,
 - *For large rewards, it is more likely to solve the easy unfamiliar task*
 - *Worthy paying attention, so the agent relies more on the signal*
- (iii) $P(S, x) = P(S', x)$ for all $x \geq x_2$.

Characterization of incompleteness

- S **more difficult** than S' : $\phi_1(S) > \phi_1(S')$
- S **more familiar** than S' : $\phi_2(S) < \phi_2(S')$



- Small rewards (red area): more likely to solve the **difficult familiar** task
- Large rewards (blue area): more likely to solve the **easy unfamiliar** task
- Very large rewards (green area): both tasks solved with certainty

Detour: Eliciting the complexity order

- Can we elicit the belief $P(S, x)$?
- Binarized scoring rule pays in probability units ([Hossain & Okui, 2013](#)):

Chances to win prize	Wrong guess ($z = 0$)	Correct guess ($z = 1$)
Reported belief of z_1 (R)	$1 - \gamma R^2$	$1 - \gamma(1 - R)^2$

- Optimal report $R(S, x) \neq P(S, x)$
- Identification problem due to state-dependent utilities ([Tsakas, 2025](#))
 - She cares about the prize y and the outcome (x, z)
 - Even if we disregard hedging opportunities
- It doesn't matter: we actually care about $\succeq$, not about $P(S, x)$:

Proposition (Elicitation)

For every pair $S, S' \in \mathcal{S}$ and every $x \geq 0$:

$$P(S, x) \geq P(S', x) \Leftrightarrow R(S, x) \geq R(S', x).$$

Some practical considerations

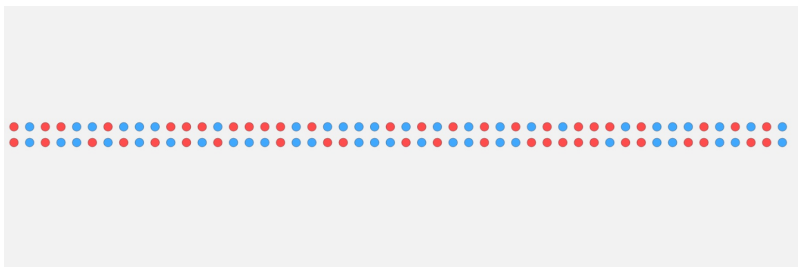
- Robustness forces us to use strategy method:
 - Elicit $R(S, x)$ for **multiple $x \geq 0$**
 - Elicitation must take place **before the task**
- There are hedging opportunities
 - Usual problem ([Blanco et al., 2010](#))
 - It can be solved by **randomly paying for one $x \geq 0$**
- Alternative empirical strategy: **Elicit belief about accuracy of others**
 - Often simpler to implement
 - Similar idea in Bayesian markets ([Baillon, 2017](#))
 - This is what we use in our experiment

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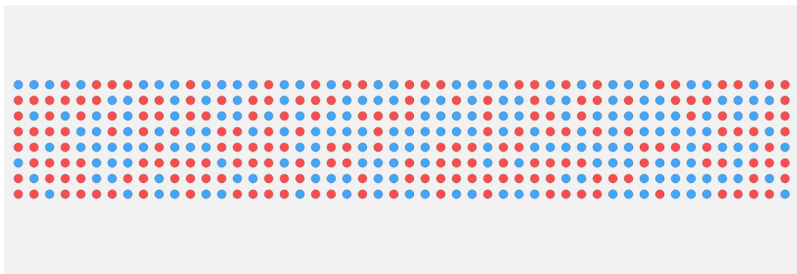
First stage

- A panel with colored balls (red and blue) is drawn
 - **Easy panel (100 balls)**: 51 of dominant color / 49 of other color
 - Difficult panel (400 balls): 201 of dominant color / 199 of other color
- This panel is drawn from a pool (all easy or all difficult)
 - Familiar task: 8 panels of one color / 2 panels of other color
 - Unfamiliar task: 5 panels of one color / 5 panels of other color
- Participants see the drawn panel and estimate the dominant color
- Two treatments: High reward (€10) / Low reward (€0.5)



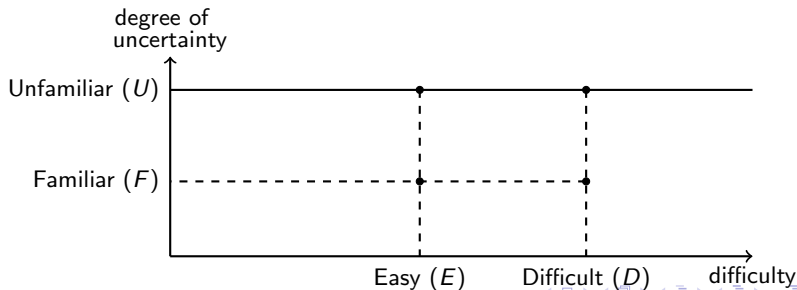
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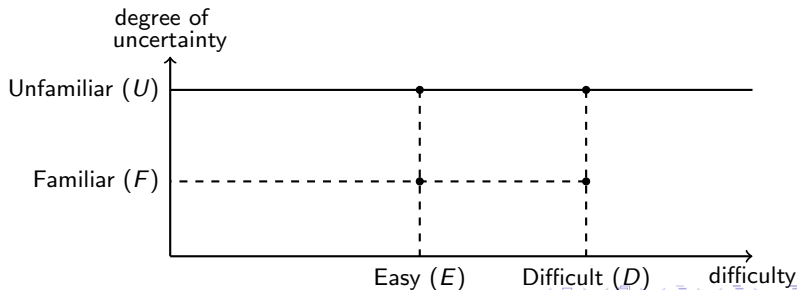
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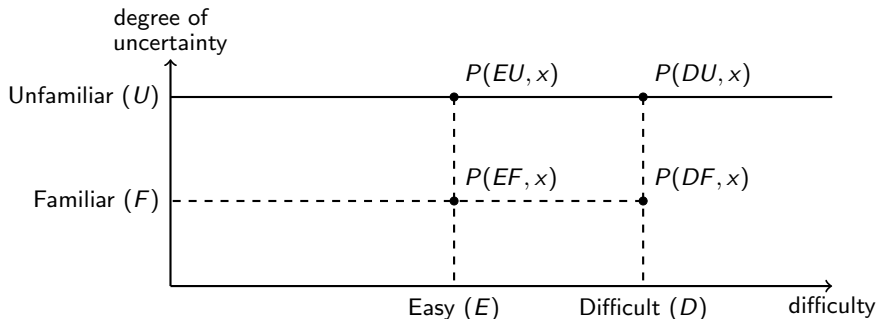
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Main stage: Comparable tasks

Guess: how many participants were correct?



(H_0) **Sanity check:** For all $S \in \{EU, DU, EF, DF\}$:

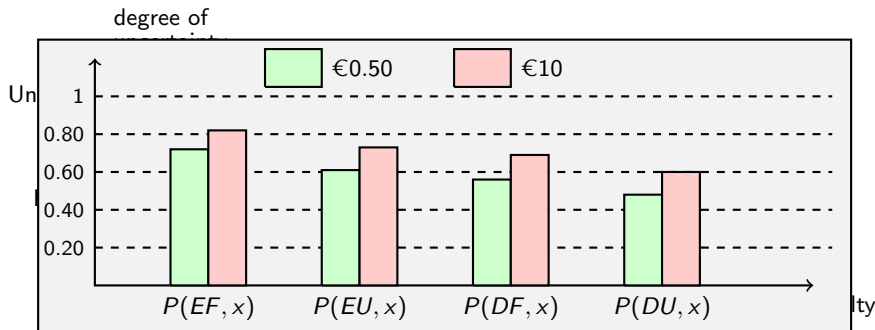
$$P(S, \text{€}10) \geq P(S, \text{€}0.50)$$

(H_1) **Basic hypothesis:** For both $x \in \{\text{€}0.50, \text{€}10\}$

$$P(EF, x) \geq P(EU, x) \geq P(DU, x) \text{ and } P(EF, x) \geq P(DF, x) \geq P(DU, x)$$

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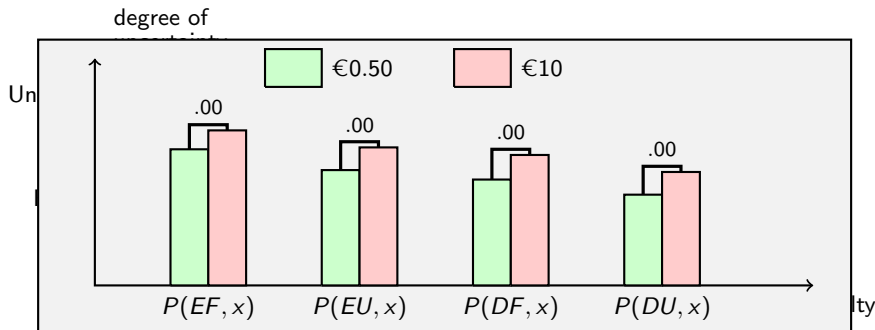
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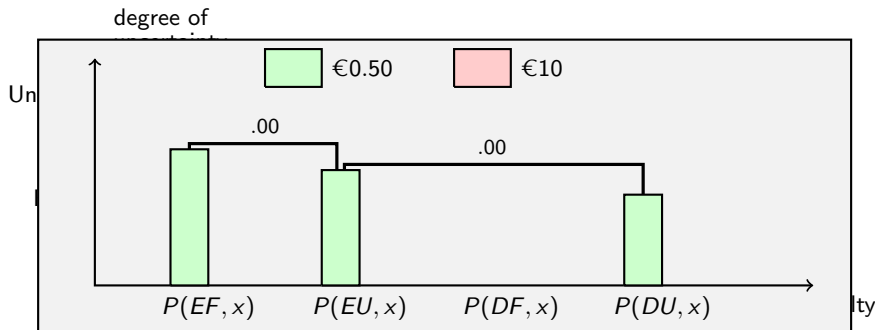
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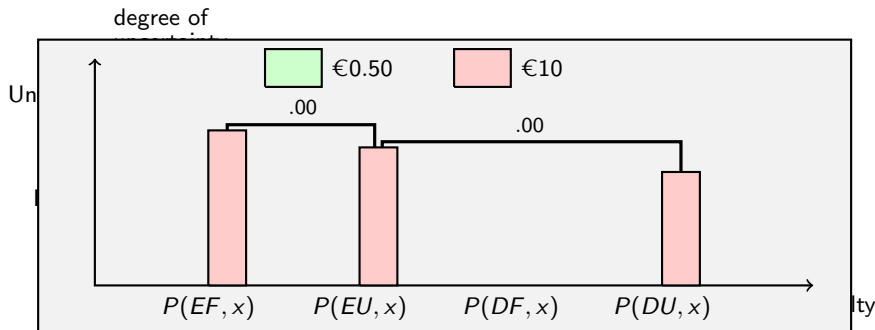
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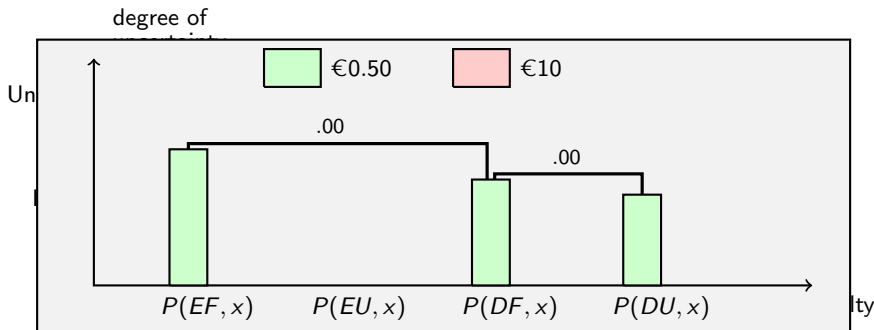
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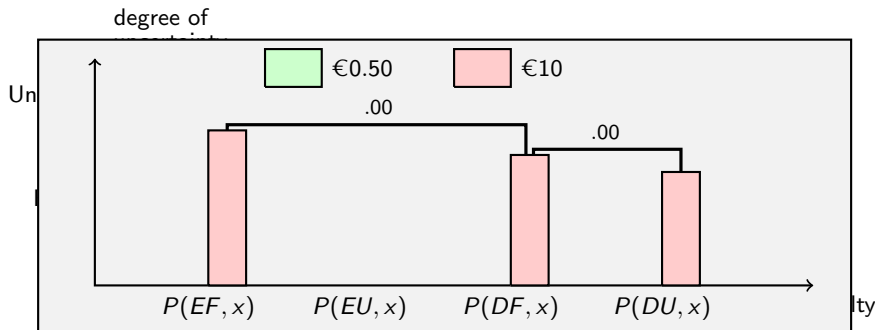
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Guess: how many participants were correct?



(H_0) **Sanity check:** For all $S \in \{EU, DU, EF, DF\}$:

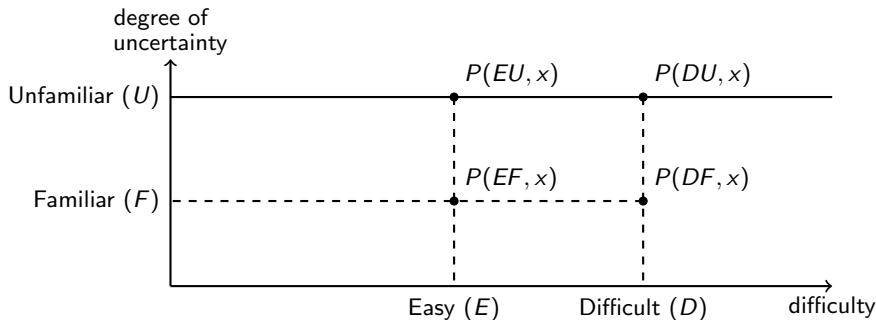
$$P(S, \text{€}10) \geq P(S, \text{€}0.50)$$

(H_1) **Basic hypothesis:** For both $x \in \{\text{€}0.50, \text{€}10\}$

$$P(EF, x) \geq P(EU, x) \geq P(DU, x) \text{ and } P(EF, x) \geq P(DF, x) \geq P(DU, x)$$

Main stage: Possibly incomparable tasks

Guess: how many participants were correct?



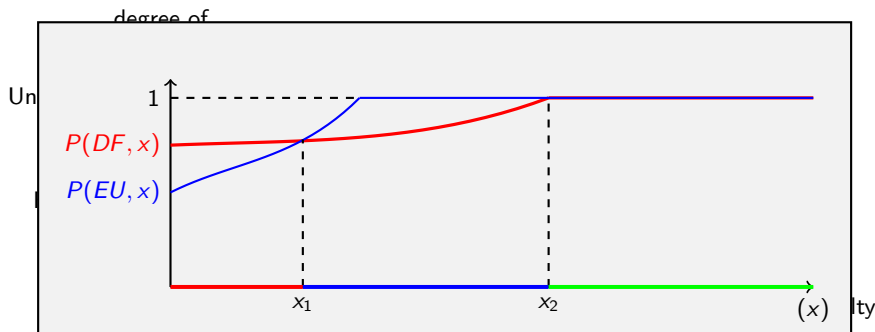
(H_2) Additional hypotheses:

$$(H_{2a}) \quad P(EU, \text{€}0.5) \geq P(DF, \text{€}0.5) \Rightarrow P(EU, \text{€}10) \geq P(DF, \text{€}10)$$

$$(H_{2b}) \quad P(EU, \text{€}10) \leq P(DF, \text{€}10) \Rightarrow P(EU, \text{€}0.5) \leq P(DF, \text{€}0.5)$$

Main stage: Possibly incomparable tasks

Guess: how many participants were correct?



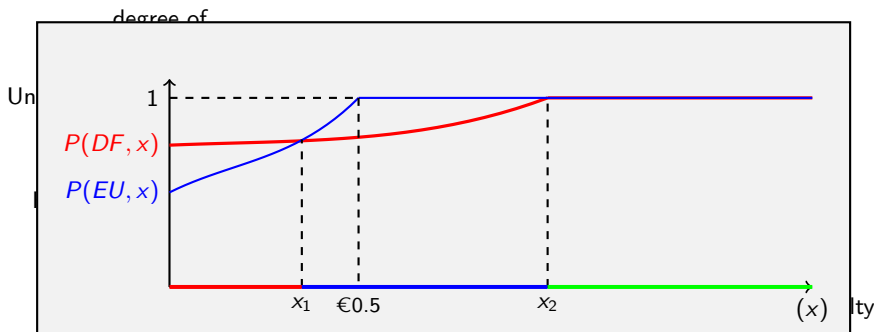
(H_2) Additional hypotheses:

$$(H_{2a}) \quad P(EU, \text{€}0.5) \geq P(DF, \text{€}0.5) \Rightarrow P(EU, \text{€}10) \geq P(DF, \text{€}10)$$

$$(H_{2b}) \quad P(EU, \text{€}10) \leq P(DF, \text{€}10) \Rightarrow P(EU, \text{€}0.5) \leq P(DF, \text{€}0.5)$$

Main stage: Possibly incomparable tasks

Guess: how many participants were correct?



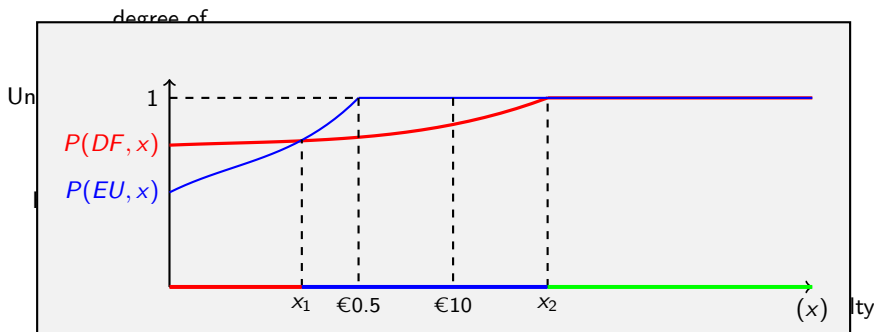
(H_2) Additional hypotheses:

$$(H_{2a}) \quad P(EU, \text{€}0.5) \geq P(DF, \text{€}0.5) \Rightarrow P(EU, \text{€}10) \geq P(DF, \text{€}10)$$

$$(H_{2b}) \quad P(EU, \text{€}10) \leq P(DF, \text{€}10) \Rightarrow P(EU, \text{€}0.5) \leq P(DF, \text{€}0.5)$$

Main stage: Possibly incomparable tasks

Guess: how many participants were correct?



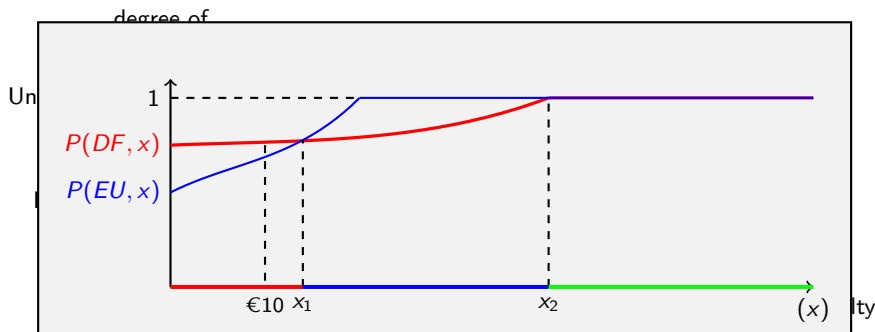
(H_2) Additional hypotheses:

$$(H_{2a}) \quad P(EU, \text{€}0.5) \geq P(DF, \text{€}0.5) \Rightarrow P(EU, \text{€}10) \geq P(DF, \text{€}10)$$

$$(H_{2b}) \quad P(EU, \text{€}10) \leq P(DF, \text{€}10) \Rightarrow P(EU, \text{€}0.5) \leq P(DF, \text{€}0.5)$$

Main stage: Possibly incomparable tasks

Guess: how many participants were correct?



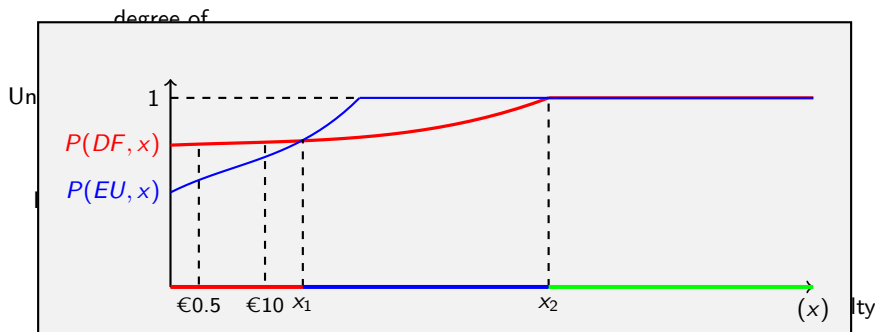
(H_2) Additional hypotheses:

$$(H_{2a}) \quad P(EU, \text{€}0.5) \geq P(DF, \text{€}0.5) \Rightarrow P(EU, \text{€}10) \geq P(DF, \text{€}10)$$

$$(H_{2b}) \quad P(EU, \text{€}10) \leq P(DF, \text{€}10) \Rightarrow P(EU, \text{€}0.5) \leq P(DF, \text{€}0.5)$$

Main stage: Possibly incomparable tasks

Guess: how many participants were correct?



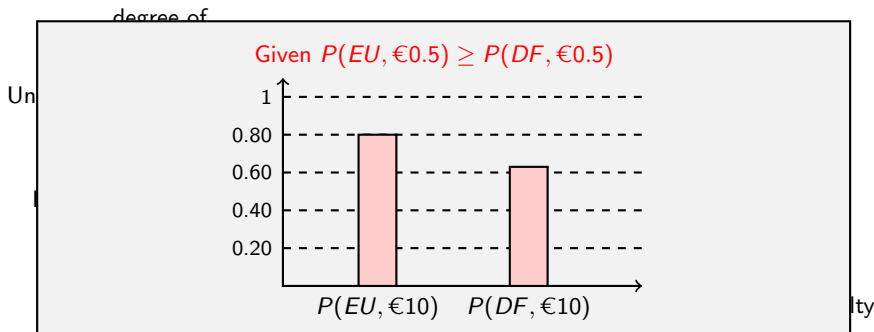
(H_2) Additional hypotheses:

$$(H_{2a}) \quad P(EU, \text{€}0.5) \geq P(DF, \text{€}0.5) \Rightarrow P(EU, \text{€}10) \geq P(DF, \text{€}10)$$

$$(H_{2b}) \quad P(EU, \text{€}10) \leq P(DF, \text{€}10) \Rightarrow P(EU, \text{€}0.5) \leq P(DF, \text{€}0.5)$$

Main stage: Possibly incomparable tasks

Guess: how many participants were correct?



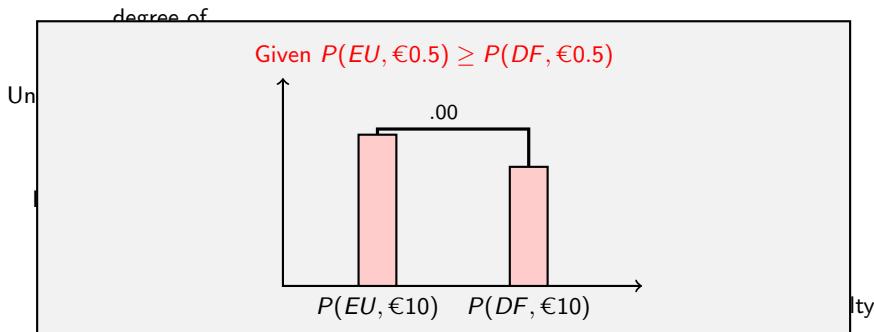
(H_2) Additional hypotheses:

$$(H_{2a}) \quad P(EU, €0.5) \geq P(DF, €0.5) \Rightarrow P(EU, €10) \geq P(DF, €10)$$

$$(H_{2b}) \quad P(EU, €10) \leq P(DF, €10) \Rightarrow P(EU, €0.5) \leq P(DF, €0.5)$$

Main stage: Possibly incomparable tasks

Guess: how many participants were correct?



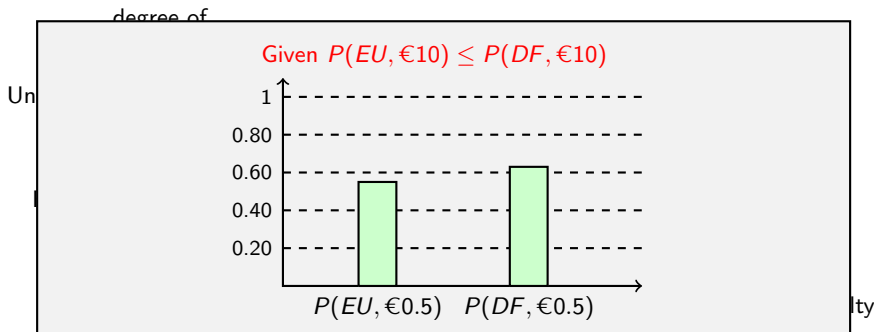
(H_2) Additional hypotheses:

$$(H_{2a}) \quad P(EU, €0.5) \geq P(DF, €0.5) \Rightarrow P(EU, €10) \geq P(DF, €10)$$

$$(H_{2b}) \quad P(EU, €10) \leq P(DF, €10) \Rightarrow P(EU, €0.5) \leq P(DF, €0.5)$$

Main stage: Possibly incomparable tasks

Guess: how many participants were correct?



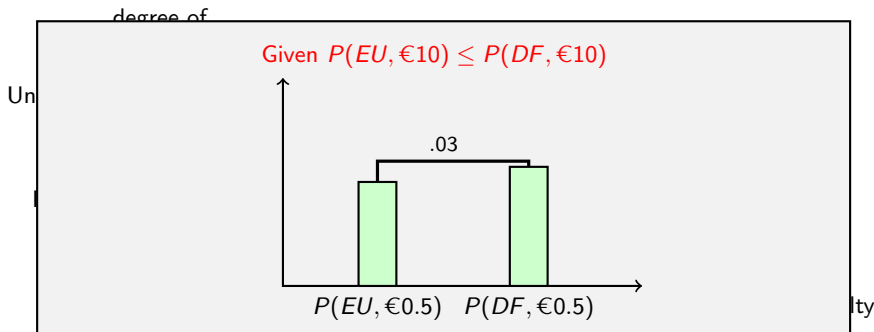
(H_2) Additional hypotheses:

$$(H_{2a}) \quad P(EU, €0.5) \geq P(DF, €0.5) \Rightarrow P(EU, €10) \geq P(DF, €10)$$

$$(H_{2b}) \quad P(EU, €10) \leq P(DF, €10) \Rightarrow P(EU, €0.5) \leq P(DF, €0.5)$$

Main stage: Possibly incomparable tasks

Guess: how many participants were correct?



(H_2) Additional hypotheses:

$$(H_{2a}) \quad P(EU, €0.5) \geq P(DF, €0.5) \Rightarrow P(EU, €10) \geq P(DF, €10)$$

$$(H_{2b}) \quad P(EU, €10) \leq P(DF, €10) \Rightarrow P(EU, €0.5) \leq P(DF, €0.5)$$

Roadmap

- 1 Research Question
- 2 Contribution
- 3 Theory
- 4 Proof of concept
- 5 Conclusion**

Overview of results

- ① **Identification:** Task A is **more complex** than task B if it is both **more difficult** and **less familiar**
 - Degree of uncertainty is a novel channel of complexity
 - Difficulty remains the primary channel
- ② **Elicitation:** **Standard belief elicitation mechanisms** reveal whether probability of solving A is larger or smaller than B, even though both might be misreported.
 - Not too difficult to elicit our measure
- ③ **Validation:** **Theoretical predictions corroborated** in lab experiment.
- ④ **Completion (extra result):** For non-comparable tasks A and B (viz., A is **more difficult** and **more familiar** than B), suppose that we start collecting data about B. Then, regardless where the data comes from, **eventually A will certainly become more complex than B.**
 - We do not need to know anything about the information source

Thanks for your (in)attention 😊